B3CC: Concurrency

02: Haskell refresh

Ivo Gabe de Wolff

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02: Haskell refresh crash course

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Warming up

- Haskell is a…
	- Purely functional (side effects are strictly controlled) …
	- Statically typed (every term has a type, inferred & checked by the compiler) …
	- Polymorphic (functions and data constructors can abstract over types) …
	- Non-strict/lazy (only compute what is needed) …
- … programming language

Haskell programming

- Code lives in a file with a .hs extension
- Can be compiled or interpreted in a REPL
	- On the command line ghci
	- In a cabal project (like the practicals) cabal repl
	- Load a file from within GHCi : load Main.hs
- REPL includes a debugger and other useful functions (see also: help)
	- Get information on a given name : info <name>
	- ... or its documentation : doc <name>
	- ... or the type of an expression : type <expression>

Simple expressions

• You can type most expressions directly into GHCi and get an answer


```
Prelude> 1024 * 768 
786432
```
Prelude> (True & False) || False False

Prelude> let x = 3.0 Prelude> let y = 4.0 Prelude> sqrt (x^2 + y^2) 5.0

Strings

- Strings are in "double quotes"
	- They can be concatenated with $+$

Prelude> "henlo" "henlo"

Prelude> "henlo" + ", infob3cc" "henlo, infob3cc"

- Calling a function is done by putting the arguments directly after its name
	- No parentheses are necessary as part of the function call


```
Prelude> fromIntegral 6 
6.0 
Prelude> truncate 6.59 
6 
Prelude> round 6.59 
7 
Prelude> sqrt 2 
1.4142135623730951 
Prelude> not (5 < 3) 
True 
Prelude> gcd 21 14 
7
```
Lists

- Built-in, perhaps the most common datatype
	- Elements must all be the same type
	- Comma separated and surrounded by square brackets $\begin{bmatrix} 1 \end{bmatrix}$
	- The empty list is simply []

Prelude> $[$ "list", "of", "strings"] ["list", "of", "strings"]

Prelude> [2, 9, 9, 7, 9] [2,9,9,7,9]


```
- Start at zero, end at ten
   Prelude> [0 .10] 
   [0, 1, 2, 3, 4, 5, 6, 7, 8, 9, 10]
```
• Can be defined by enumeration

- Start at one, increment by 0.25, end at 3

Prelude> [1, 1.25 .. 3.0] $[1.0, 1.25, 1.5, 1.75, 2.0, 2.25, 2.5, 2.75, 3.0]$

• Lists can be constructed & destructed one element at a time using: and []

Prelude> 0 : [1 .10] $[0, 1, 2, 3, 4, 5, 6, 7, 8, 9, 10]$

• Strings are just lists of characters, so $:$ and $++$ also work on them

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Prelude> "woohoo" = 'w':'o':'o':'h':'o':'o':[] True

Prelude> $[1,2]$ + $[3..5]$ $[1, 2, 3, 4, 5]$

List comprehensions

• Syntactic sugar for constructing lists

- There can be multiple generators, separated by commas
	- Each successive generator refines the results of the previous

Prelude> $[(i,j) | i \leftarrow [1..3], j \leftarrow [1..i]]$ $[(1,1), (2,1), (2,2), (3,1), (3,2), (3,3)]$

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Prelude> import Data.Char Prelude> let s = "haskell" Prelude> [toUpper c | c \leftarrow s] "HASKELL"

List comprehensions

• The latter can also be written using a *guard*

Prelude> $[(i,j) | i \leftarrow [1..3], j \leftarrow [1..i]]$ $[(1,1), (2,1), (2,2), (3,1), (3,2), (3,3)]$ Prelude> $[(i,j) | i \leftarrow [1..3], j \leftarrow [1..3], j \leq i]$ $[(1,1), (2,1), (2,2), (3,1), (3,2), (3,3)]$

List comprehensions

• Boolean guards can be applied to filter elements

Prelude> $[n | n \leftarrow [0..10],$ even n] [0,2,4,6,8,10]

- Everything in Haskell has a type
	- So far we haven't mentioned any, but they were always there!
- What is a type?
	- A set of values with common properties and operations on them
		- Integer
		- Double
		- [Char]

• (Char, Bool)

• …

- Functions describe how to produce an output from their inputs
	-
	- :: can be read as "has type"

leftPad :: Int \rightarrow String \rightarrow String leftPad n rest = replicate n ' $'$ + rest

- Functions only depend on their arguments
	- The type signature is a strong promise

<https://qz.com/646467/how-one-programmer-broke-the-internet-by-deleting-a-tiny-piece-of-code> 16

- The type signature says that leftPad accepts two arguments as input and produces a string as output

- Functions describe how to produce an output from their inputs
	- *Pattern matching* is used to decompose datatypes

length $::$ [a] \rightarrow Int length xs = case xs of $[] \rightarrow 0$ $(y:ys) \rightarrow 1 + lengthys$

- Functions can have multiple patterns
	- Patterns are matched in order, top-to-bottom
	- Only the first match is evaluated
	- Each pattern has the same type

length $::$ [a] \rightarrow Int $length [] = 0$ length $(_:xs) = 1 + length xs$

• Don't implement redundant cases:

length $::$ [a] \rightarrow Int $length [] = 0$ length $[x] = 1$ \mathcal{X} redundant case length $(\cdot;xs) = 1 + length xs$

• Since $[x] = x : []$, it is already handled correctly by the other two cases

Order of patterns

• The first pattern that matches is executed

fibonacci :: Int \rightarrow Int $fibonacci 0 = 1$ fibonacci 1 = 1 fibonacci n = fibonacci (n-1) + fibonacci (n-2) ok

fibonacci :: Int \rightarrow Int fibonacci n = fibonacci (n-1) + fibonacci (n-2) fibonacci $0 = 1$ fibonacci 1 = 1 infinite loop

- There are many useful *higher-order* functions available on lists
	- These take functions as arguments
	- Some examples:

map :: $(a \rightarrow b) \rightarrow [a] \rightarrow [b]$ zipWith :: $(a \rightarrow b \rightarrow c) \rightarrow [a] \rightarrow [b] \rightarrow [c]$ foldl :: $(b \rightarrow a \rightarrow b) \rightarrow b \rightarrow [a] \rightarrow b$ scanl :: (b \rightarrow a \rightarrow b) \rightarrow b \rightarrow [a] \rightarrow [b] filter :: $(a \rightarrow Bool) \rightarrow [a] \rightarrow [a]$

Type classes

- A set of types which share a number of operations
	- Lets you generalise functions
	- Similar to interfaces in C# or traits in Rust
		- not to be confused with classes in OO languages

$(=)$: Eq a \Rightarrow a \rightarrow a \rightarrow Bool

- If a is a member of type class Eq , then $=$ can compare two values of this type for equality

Local definitions

- Local bindings can be declared in let or where clauses
	- Once defined, these bindings can not change (immutable!)
	- Order does not matter

slope $(x1,y1)$ $(x2,y2) =$ let dy = $y2-y1$ $dx = x2-x1$ in dy/dx

slope $(x1,y1)$ $(x2,y2) = dy/dx$ where

$$
dy = y2-y1
$$

dx = x2-x1

Syntactic peculiarities

- Case matters:
	- Types, data constructors, and typeclass names, start with an uppercase letter
	- Everything else (variables, function names…) start with a lowercase letter
- Indentation matters:
	-
	- Don't use tabs (ever)

- Code which is part of some expression should be indented further in than the beginning of that expression

average $x \ y = xy / 2$ where $xy = x + y$ ok syntax error

average x y = xy / 2

\nwhere

\n
$$
xy = x + y
$$

Example: BSN

- How many BSNs are there?
	- A valid BSN must pass the 11-test
	- For a 9-digit number ABCDEFGHI then:
	- 9A + 8B + 7C + 6D + 5E + 4F + 3G + 2H + (-1)I
	- … must be a multiple of eleven

Data types

Types

- Basic types
	- Int, Float, Double, Char …
- Composite types
	- Tuples: (Int, Float), (Char, Bool, Int, Int)
	- Lists: [Int], [Float], [(Int, Float)]
- We can create new names (aliases) for existing types

type String = [Char]

- You can define your own datatypes
	- For well-structured code
	- For better readability
	- For increased type safety
- Enumeration types
	- Defines a *type* Bool and two new *type constructors* False and True

data Bool = False | True deriving (Show, Read, Eq, Ord)

• Datatypes can have type parameters

 $data$ Vec2 a = Vec2 a a deriving (Eq, Show)

- Write a function to point-wise add two vectors

• Data constructors can also have arguments

data Shape = Square Double | Rectangle Double Double — length, width | Circle Double — radius deriving (Eq)

- Write the function area $::$ Shape \rightarrow Double

- Write a function sumTree that sums all of the values stored in the tree
- Write a function $tolist$:: Tree $a \rightarrow [a]$

• Datatypes can be recursive

```
data Tree a 
   = Node (Tree a) (Tree a) 
   | Leaf a
```
Monads

³³ <http://tiny.cc/b3d8fz> <http://blog.plover.com/prog/burritos.html>

A monad in X is just a monoid in the category of endofunctors of X, with product × replaced by composition of endofunctors and unit set by the identity endofunctor.

— Mac Lane

Monads are like burritos — Mark Dominus

Warm fuzzy thing — Simon Peyton Jones

- Remember, Haskell is pure
	- Functions can't have side effects
	- Functions take in inputs and produce outputs
	- Nothing happens in-between (no modification of global variables)
- However, input/output is not at all pure

<https://clips.twitch.tv/TawdryProductiveLobsterMingLee-FsU2cH2bDUeSkKwk> 35

- The IO monad serves as a glue to bind together the actions of the program
	- Every IO action returns a value
	- The type is "tagged" with IO to distinguish actions from other values

getChar :: IO Char

 $putChar :: Char \rightarrow IO()$

- The keyword do introduces a sequence of statements, executed in order
	- An action (such as putChar)
	- A pattern binding the result of an action with \leftarrow (such as getChar)
	- A set of local definitions introduced using let $main :: IO()$ $main = do$ $c1 \leftarrow getChar$ let $c2 = chr (ord c1 + 1)$ putChar c2
- main is the entry point of the program and must have type IO ()

- We can invoke actions and examine their results using do-notation
	- We use return \cdots a \rightarrow IO a to turn the ordinary value into an action
	- return is the opposite of \leftarrow

ready :: IO Bool ready = do $c \leftarrow getChar$ return $(c = 'y')$

• Each do introduces a single chain of statements. Any intervening construct must introduce a new do to

getLine :: IO String getLine =

initiate further sequences of actions

- return admits values into the realm of ordinary IO actions; can we go the other way?
	- No!
	- Consider the function:

f :: Int \rightarrow Int \rightarrow Int

- It can not possibly do any IO, because that does not appear in the return type
	- Safe to execute concurrently!

Programming with actions

- IO actions are ordinary Haskell values
	- They can be passed to functions, stored in structures, etc… todoList : [IO ()] todoList = [putStr "henlo, " , do $l \leftarrow$ getLine putStrLn l \Box
	- This list does not invoke any actions, it simply holds them

 $sequence_$ $::$ $[IO ()] \rightarrow IO ()$ sequence_ = ...

Programming with actions

- Side effects are isolated into IO actions
- Pure code is separated from impure operations
- IO actions exist only within other IO actions

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