

Lecture 16: Final Summary

Talen en Compilers 2023-2024, period 2

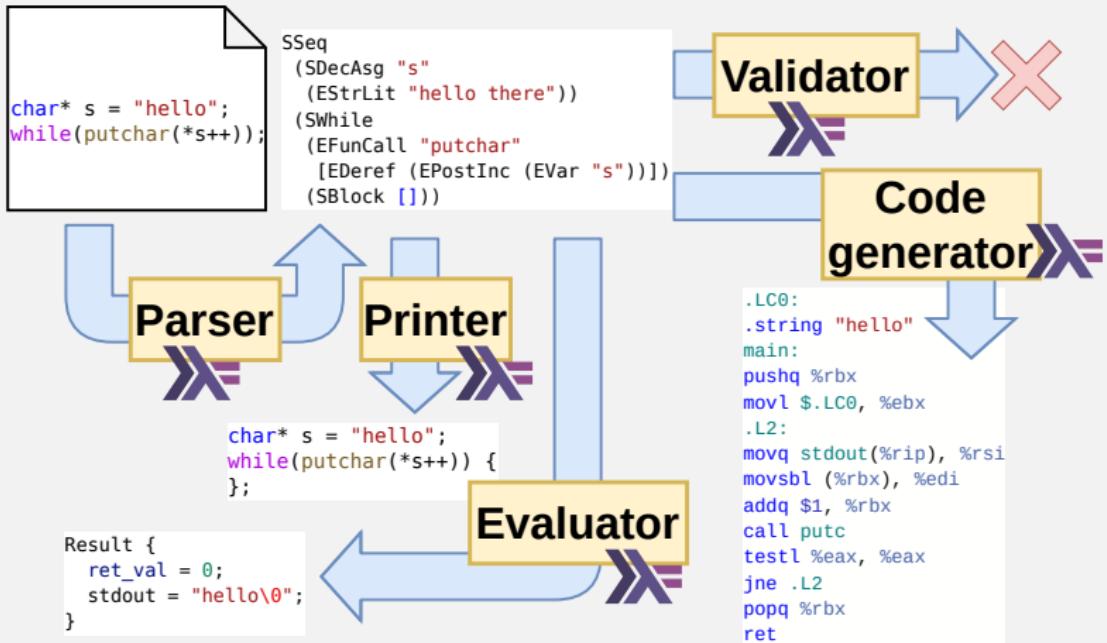
Lawrence Chonavel

Department of Information and Computing Sciences, Utrecht University



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What we built





Lecture Summary



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Lecture 2: BNF, Theory

Concrete and abstract syntax

The grammar and the datatype describe the language.

concrete: **abstract** syntax:

$$\begin{array}{l|l} S \rightarrow S-D \mid D & \text{data } S = \text{Minus } S \text{ D} \mid \text{SingleDigit } D \\ D \rightarrow 0 \mid 1 & \text{data } D = \text{Zero} \mid \text{One} \end{array}$$

The string 1-0-1 corresponds to the parse tree



Lecture 2: BNF, Theory

Summary

Grammar A way to describe a language inductively.

Production A rewrite rule in a grammar.

Context-free The class of grammars/languages we consider.

Nonterminal Auxiliary symbols in a grammar.

Terminal Alphabet symbols in a grammar.

Derivation Successively rewriting from a grammar until we reach a sentence.

Parse tree Tree representation of a derivation.

Ambiguity Multiple parse trees for the same sentence.

Abstract syntax (Haskell) Datatype corresponding to a grammar.

Semantic function Function defined on the abstract syntax.



Lecture 3: Parser Combinators (👶)



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```
type Parser a = String -> [(a, String)]
```



Lecture 3: Parser Combinators (👶)



```
type Parser a = String -> [(a, String)]
```

```
<$> :: (a -> b) -> Parser a -> Parser b
```

```
<*> :: Parser (a -> b) -> Parser a -> Parser b
```



Lecture 3: Parser Combinators (👶)



```
type Parser a = String -> [(a, String)]
```

```
<$> :: (a -> b) -> Parser a -> Parser b  
<*> :: Parser (a -> b) -> Parser a -> Parser b
```

```
parseDate6 :: Parser Date
```

```
parseDate6 = Date <$> parseDay <*> parseMonth
```



Lecture 4: Parser Combinators (👨)

```
<$  ::          a -> Parser b -> Parser a
<*  ::          Parser a -> Parser b -> Parser a
<|> ::          Parser a -> Parser a -> Parser a
```



Lecture 4: Parser Combinators (👨‍💻)

```
<$  ::          a -> Parser b -> Parser a
<*  ::          Parser a -> Parser b -> Parser a
<|> ::          Parser a -> Parser a -> Parser a

type Parser' tok a = [tok] -> [(a, [tok])]
```



Lecture 5: Parser Combinators (👴)

```
chainl :: Parser a → Parser (a→a→a) → Parser a  
chainr :: Parser a → Parser (a→a→a) → Parser a
```



Lecture 5: Parser Combinators (👴)

```
chainl :: Parser a → Parser (a→a→a) → Parser a  
chainr :: Parser a → Parser (a→a→a) → Parser a  
  
gen :: [(Char, a→a→a)] → Parser a → Parser a
```



Lecture 5: Parser Combinators (民企)

```
chainl :: Parser a → Parser (a→a→a) → Parser a  
chainr :: Parser a → Parser (a→a→a) → Parser a
```

```
gen :: [(Char, a→a→a)] → Parser a → Parser a
```

```
e1, e3 :: Parser Exp  
e1 = foldr gen e3  
  [ [( '+', Plus), ( '- ', Minus)]  
  , [( '*', Times)]  
  ]  
e3 = parenthesised e1  
<|> Nat <$> natural
```



Lecture 6: RegExp

| | |
|---|---------------------------------|
| < > :: R → R → R | r ₁ r ₂ |
| <+> :: R → R → R | r ₁ r ₂ |
| many :: R → R | r* |
| many1 :: R → R | r+ |
| option :: R → R | r? |
| symbol :: Char → R | c |
| satisfy :: (Char → Bool) → I \d \s \S [a-z] ... | |

{ } | { -? \d+ (\. \d+)? }

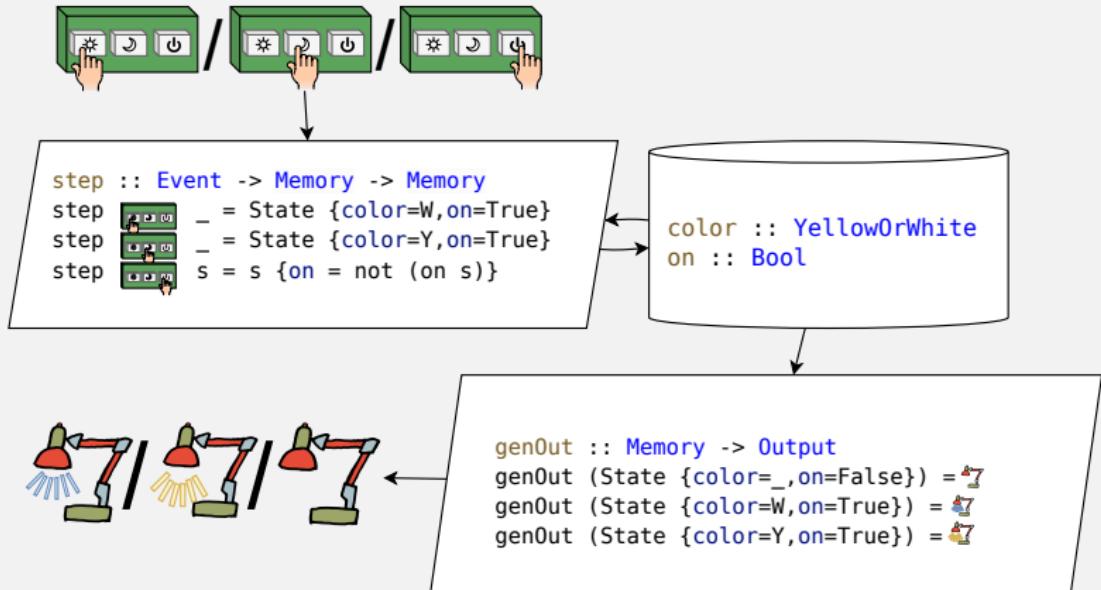
| { (-? \d+ (\. \d+)? ,) + -? \d+ (\. \d+)? }

Ubiquity

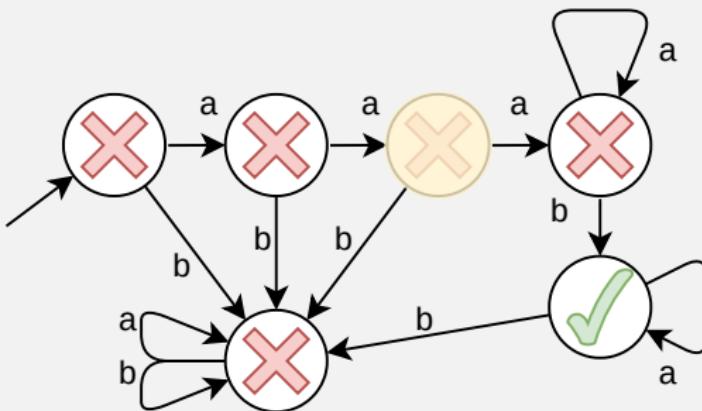
code eclipse sublime idea xcode notepad++ emacs vim vi
ed grep awk sed find perl python javascript lua ...



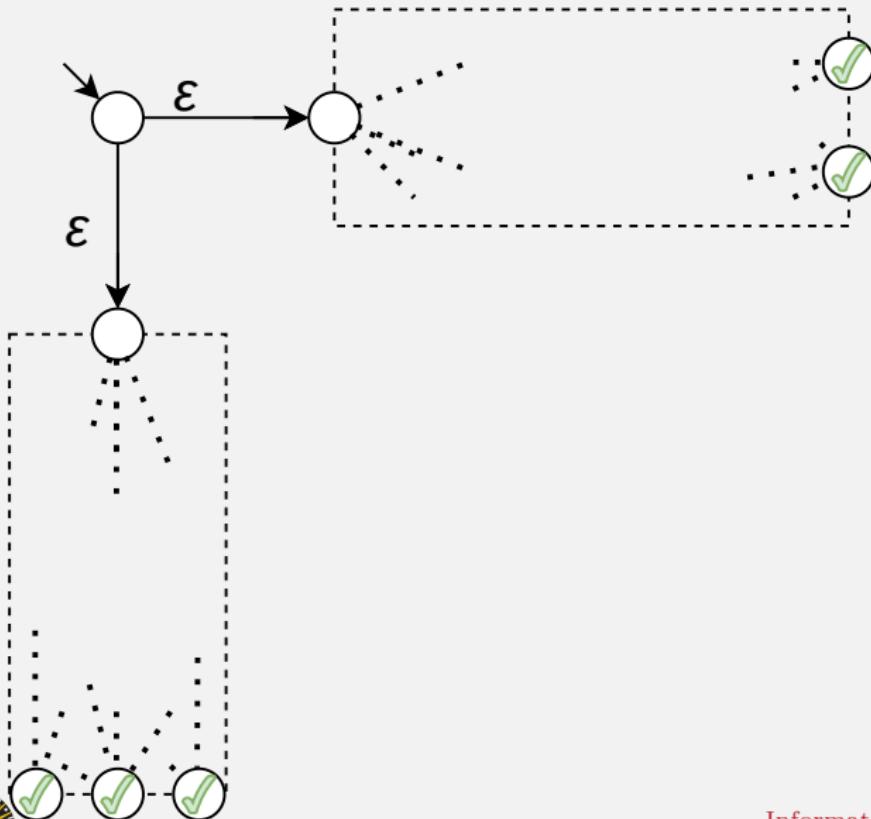
Lecture 7: RegExp implementation via FSMs



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Lecture 7: RegExp implementation via FSMs

```
n2d :: NFAε sy st → DFA sy (Set st)
n2d (NFAε step εsteps genOut s0) = Moore
{ s0 = reachable εsteps (s0 nfa)
, step = \sy → Set.unions . Set.map
  (reachable εsteps . step nfa sy)
, genOut = any genOut }
```



Lecture 8: fold

Exercise 1

Write the type of the algebra for the following datatype:

```
data Expr v = Var v
             | App (Expr v) (Expr v)
             | Lam v (Expr v)
```

This represents λ -expressions in which variables are represented by values of type v (the λ -calculus).

```
type ExprAlgebra v r = (v → r, r → r → r, v → r → r)
foldExpr :: ExprAlgebra v r → Expr v → r
foldExpr (var, app, lam) = f
  where f (Var v)      = var v
        f (App x y) = app (f x) (f y)
        f (Lam v e) = lam v (f e)
```



Lecture 9: fold, for evaluation

Evaluation

Directly:

```
eval :: E → Int
eval (Add e1 e2) = eval e1 + eval e2
eval (Neg e)      = negate (eval e)
eval (Num n)      = n
```

Using foldE:

```
eval :: E → Int
eval = foldE ((+), negate, id)
```



7-5

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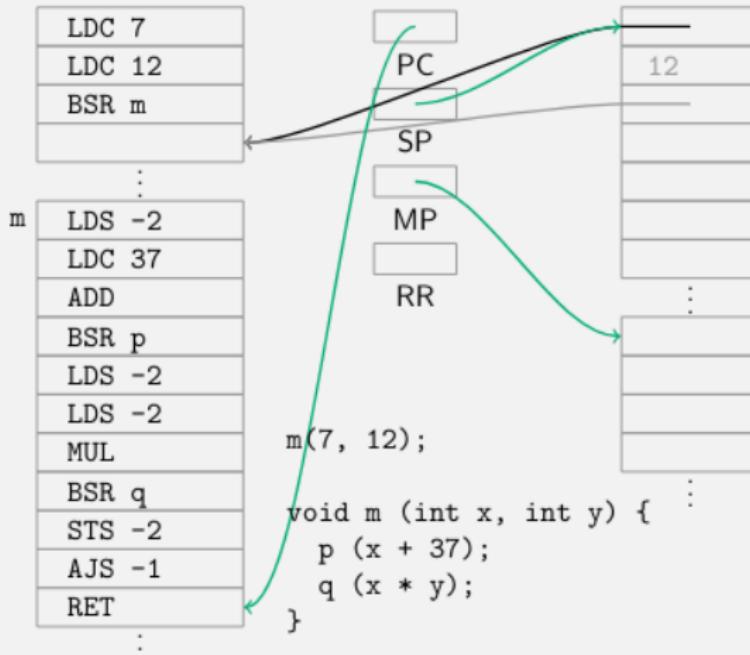
[Faculty of Science
Information and Computing Sciences]



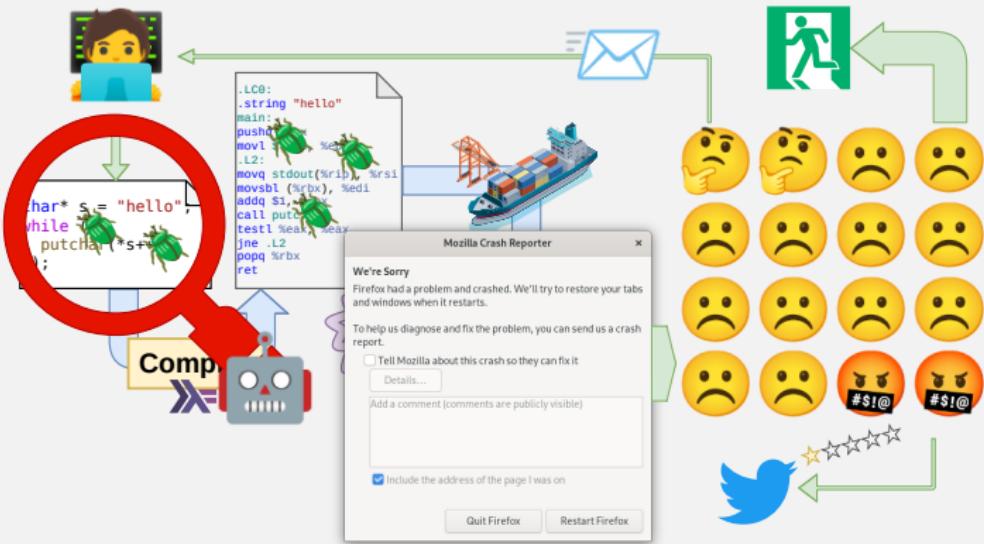
Sciences

Lecture 10: code generation, SSM

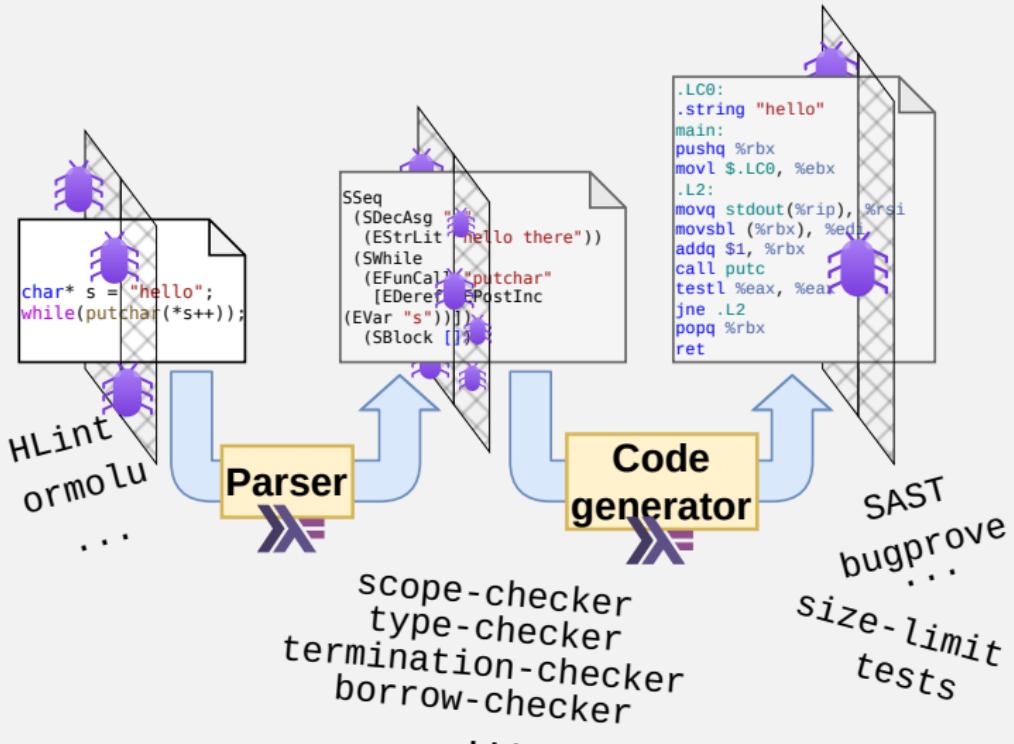
Methods with parameters



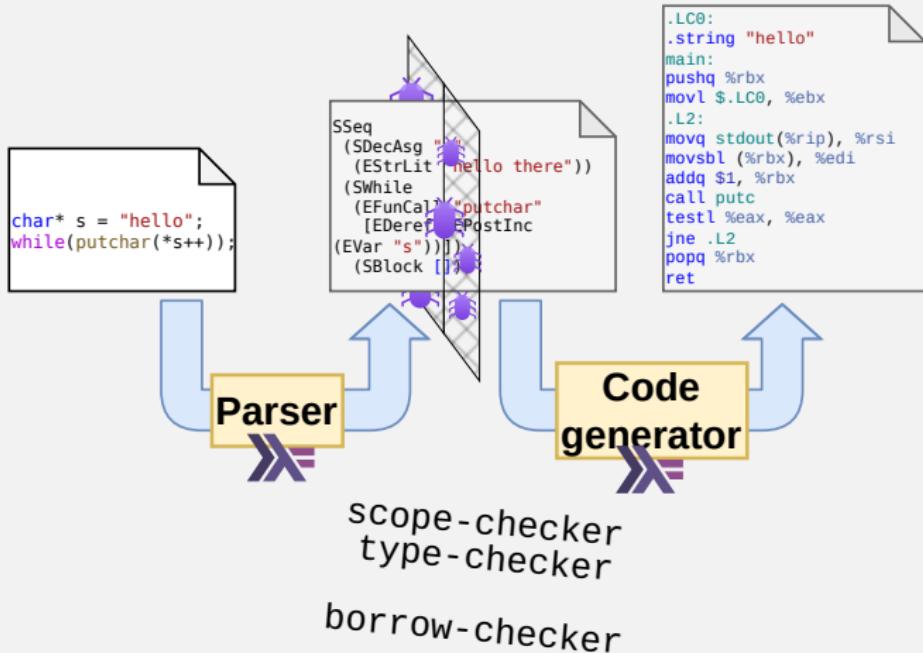
Lecture 12: checks



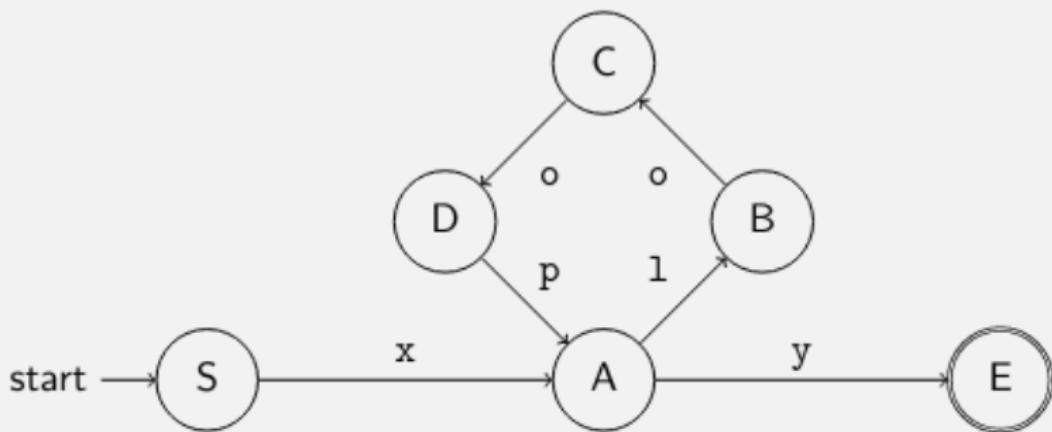
Lecture 12: checks



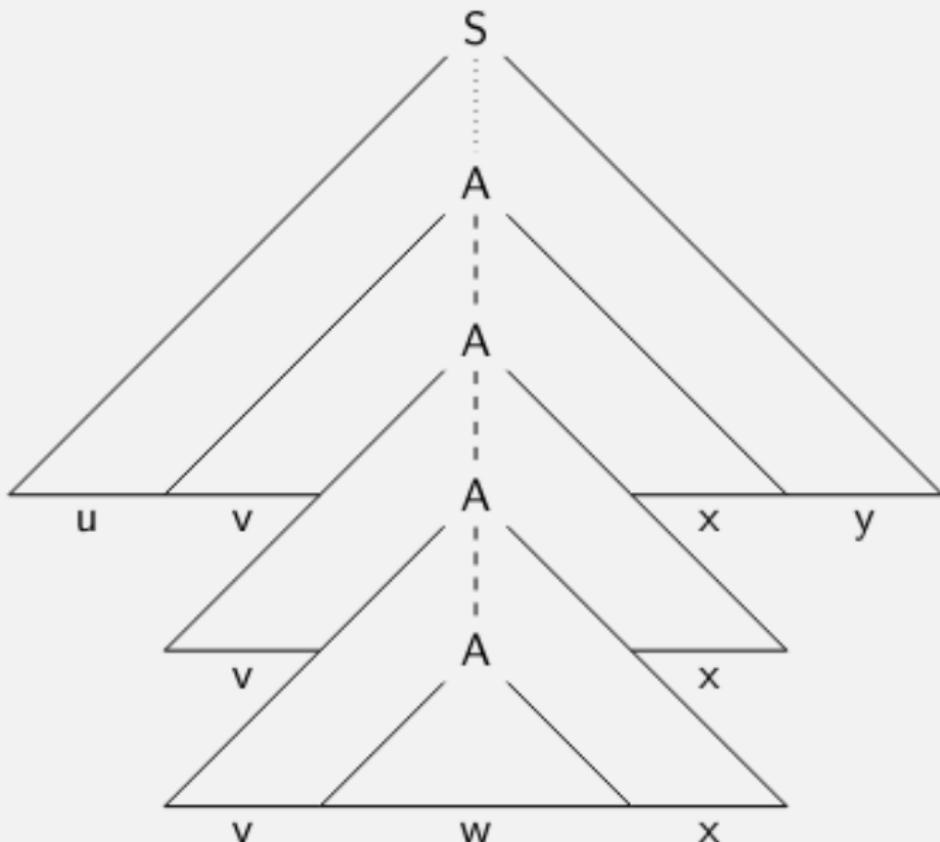
Lecture 12: checks



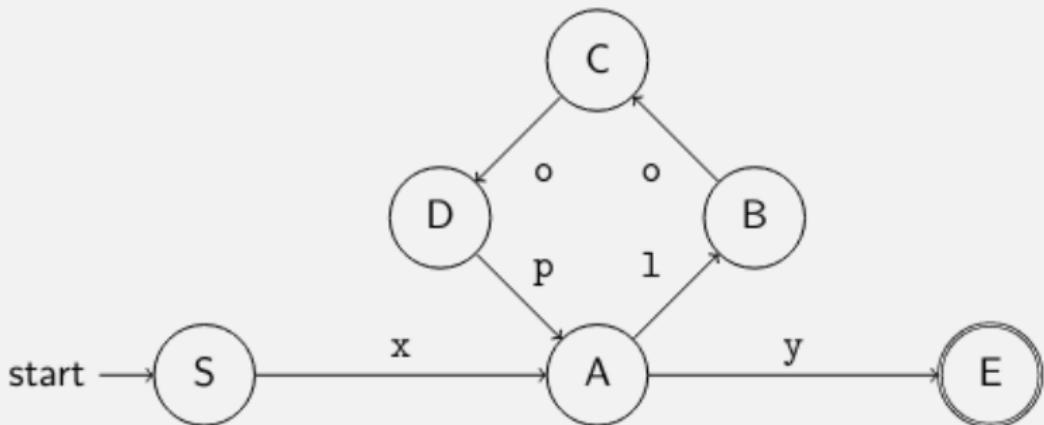
Lecture 13: poking the limits of RegExp/BNF



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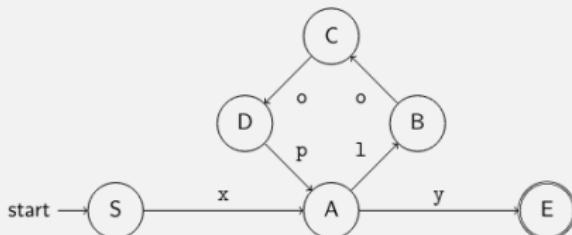
Pumping Lemma for regular languages

For every regular language L ,
there exists an $n \in \mathbb{N}$

such that for every word xyz in L with $|y| \geq n$,

we can split y into three parts, $y = uvw$, with $|v| > 0$,

Lecture 13: poking the limits of RegExp/BNF



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we can split y into three parts, $y = uvw$, with $|v| > 0$

such that for every $i \in \mathbb{N}$, we have $xuv^iwz \in L$.



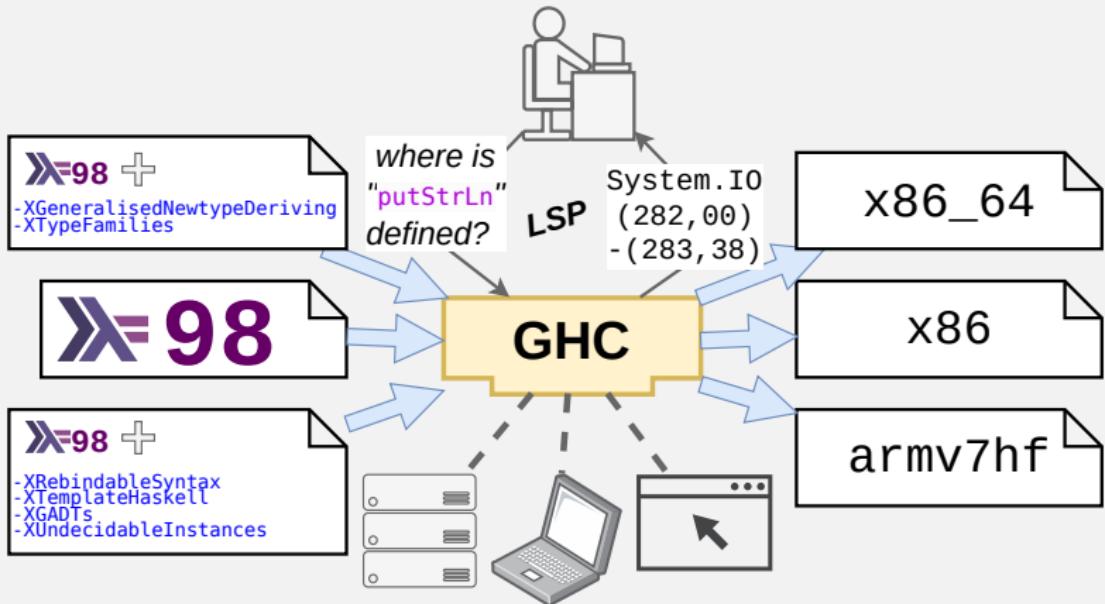
Pumping lemma for context-free languages

For every context-free language L ,

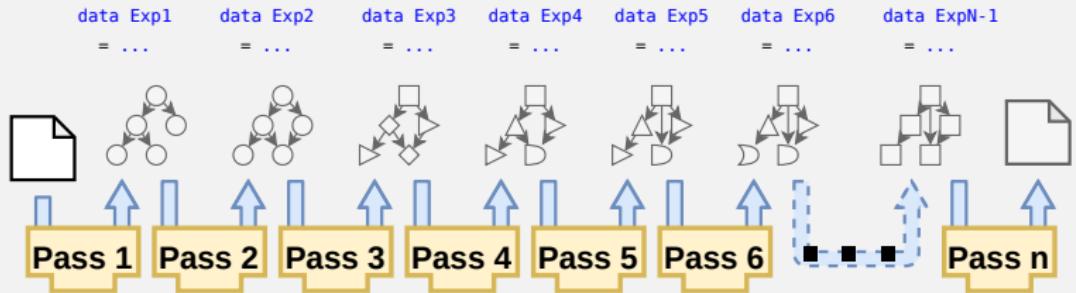
- ▶ there exists a number $n \in \mathbb{N}$ such that
- ▶ for every word $z \in L$ with $|z| \geq n$,
- ▶ we can split z into five parts, $z = uvwxy$, with $|vx| > 0$ and $|vwx| \leq n$, such that
- ▶ for every $i \in \mathbb{N}$, we have $uv^iwx^iy \in L$.



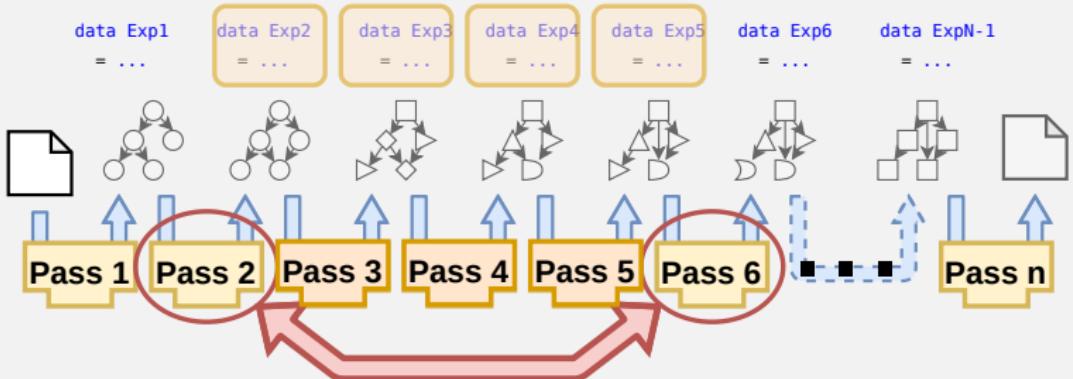
Lecture 14: nanopass



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Lecture 15: optimization

```
for (int i = 0; i < n; i++)  
{ doStuff (i);  
}
```

```
for (int i = 0; i < n - 4; i += 4)  
{ doStuff (i);  
    doStuff (i + 1);  
    doStuff (i + 2);  
    doStuff (i + 3);  
}
```



Lecture 15: optimization

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for (int i = 0; i < n; i++)  
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```
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```



Risky!

- ▶ When is it **safe?** 💣
- ▶ When does it **improve** the code? 🌟
- ▶ When does it **degrade** the code? 🙄



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Lecture 15: optimization

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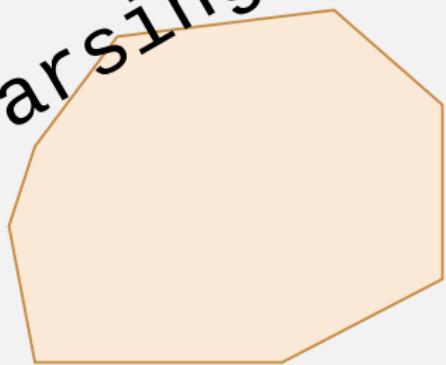
Risky!

- ▶ When is it **safe?** 💣
- ▶ When does it **improve** the code? 🌟
- ▶ When does it **degrade** the code? 🙄
- ▶ Usually need **analysis** 🔎

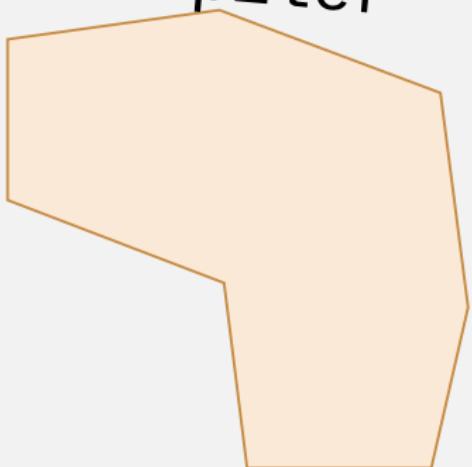


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Parsing



Rest of
Compiler



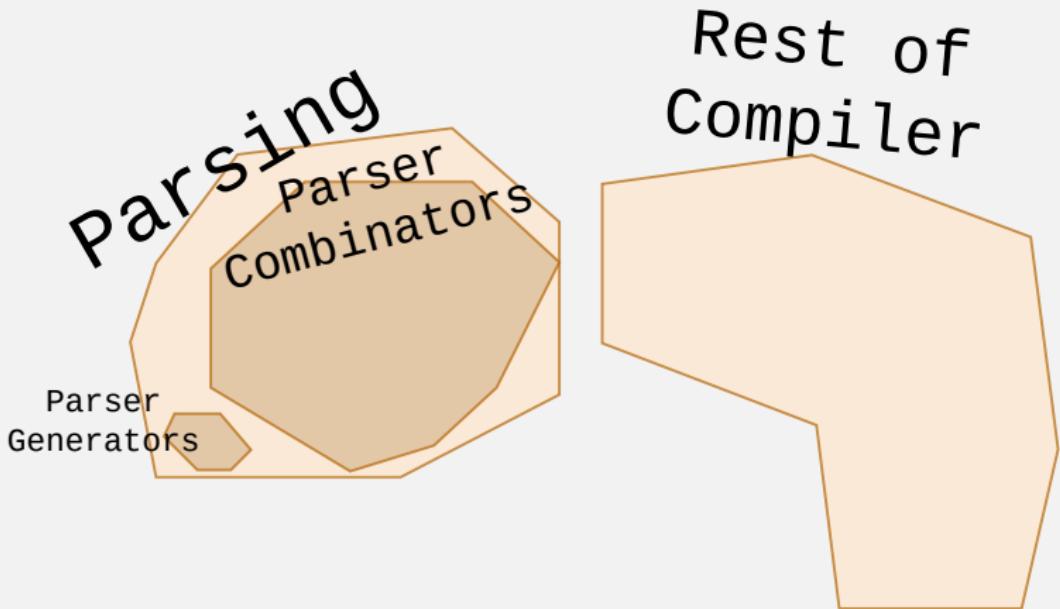
Revision Guide

Parsing
Parser
Combinators

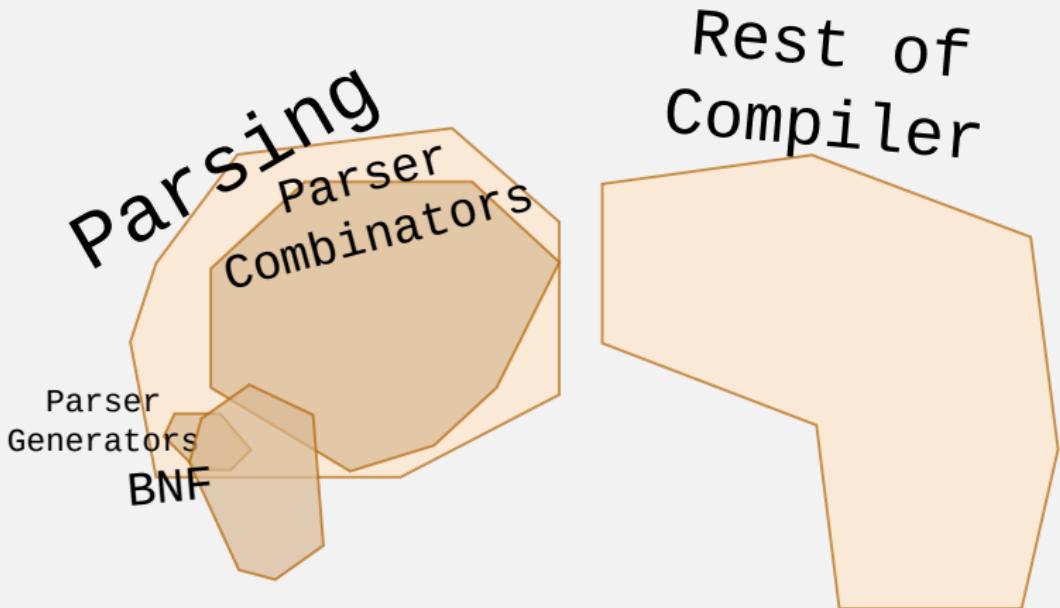
Rest of
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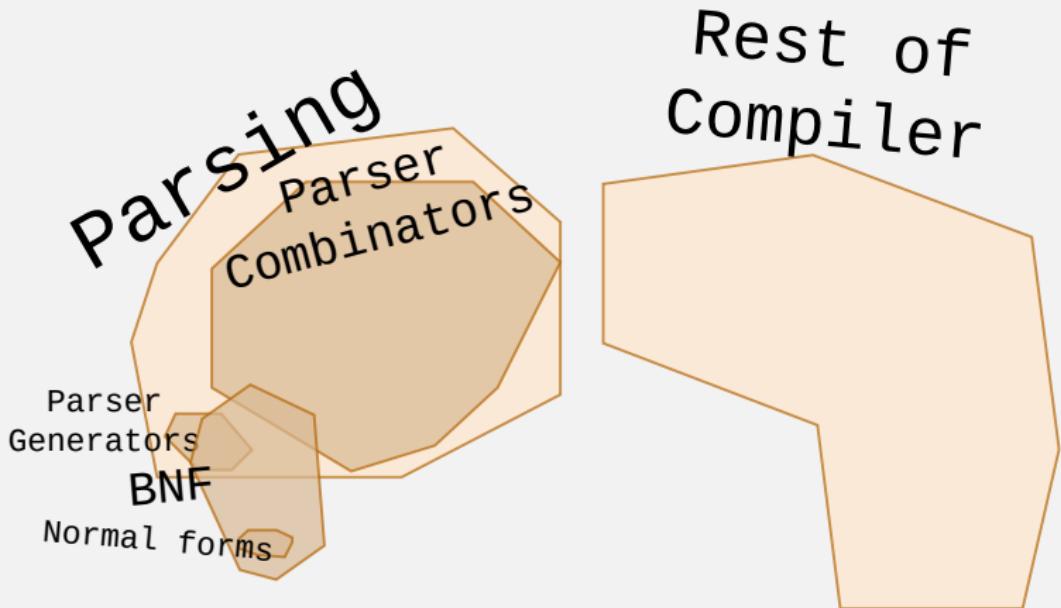


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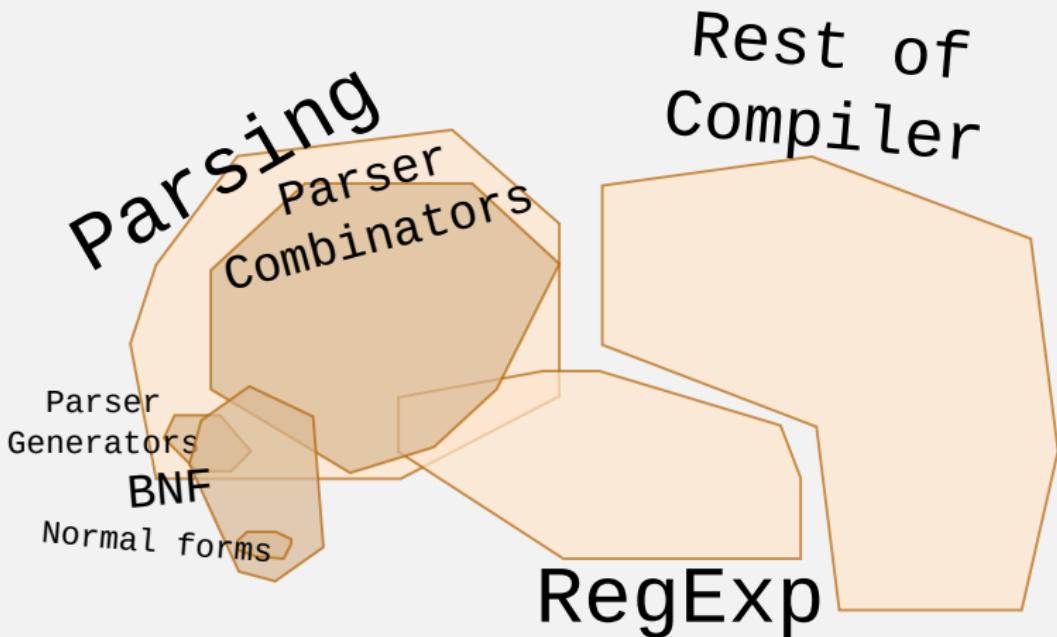


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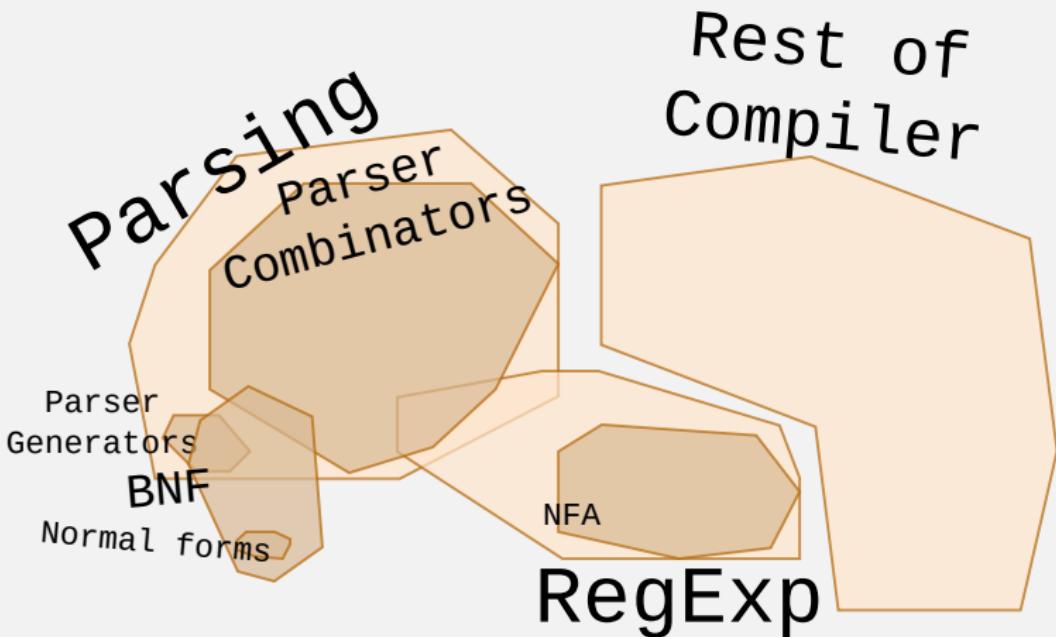




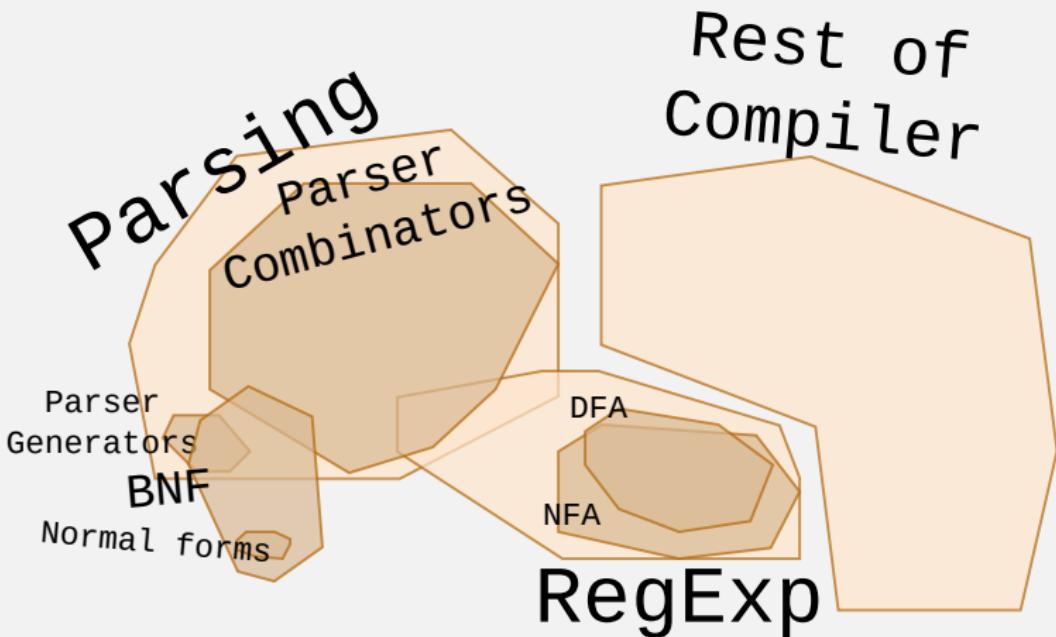
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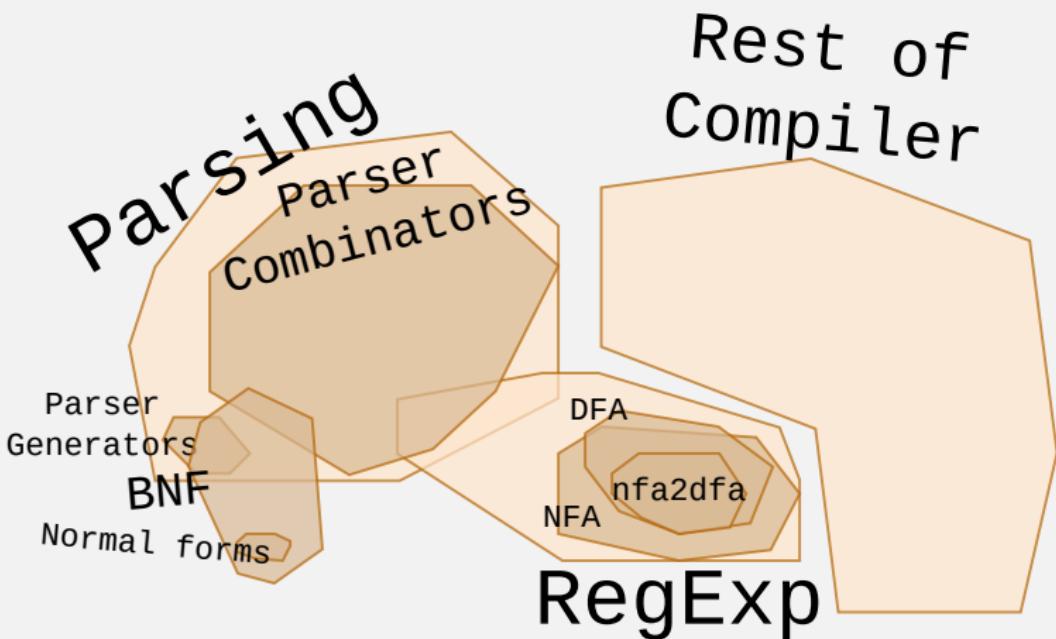
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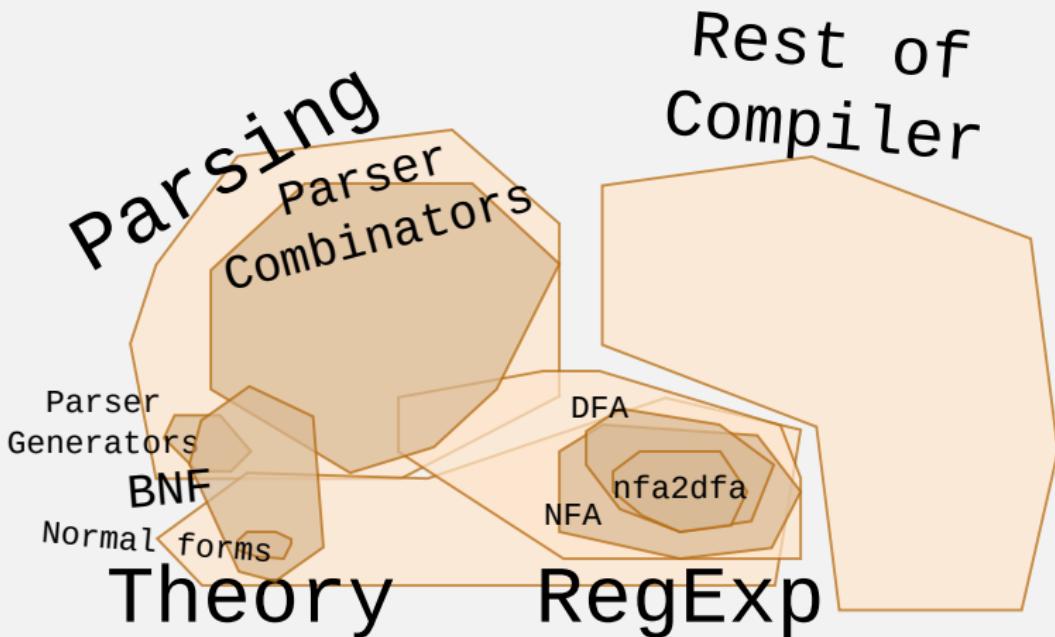


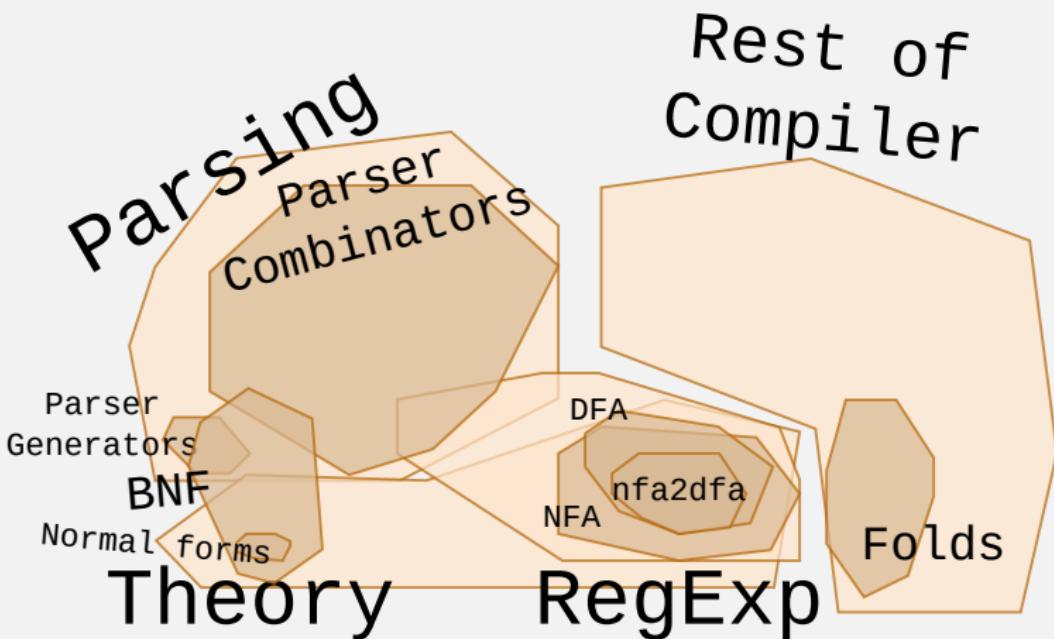
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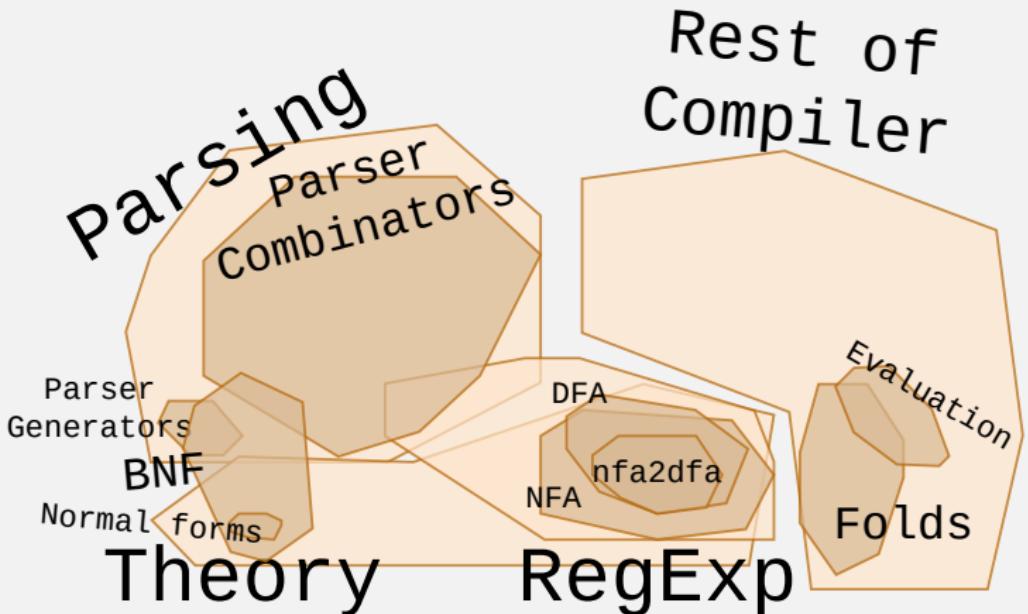
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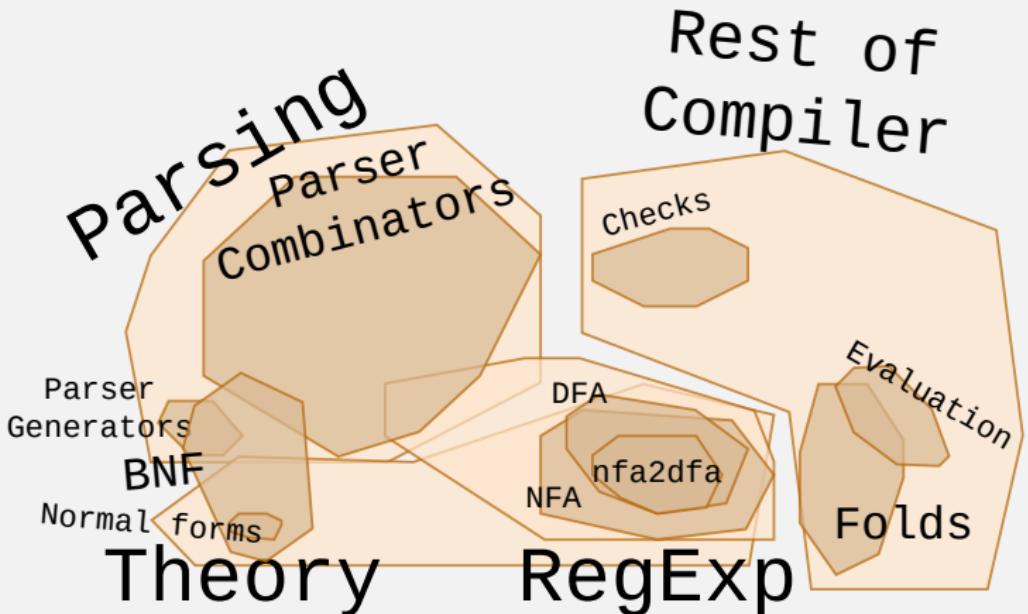




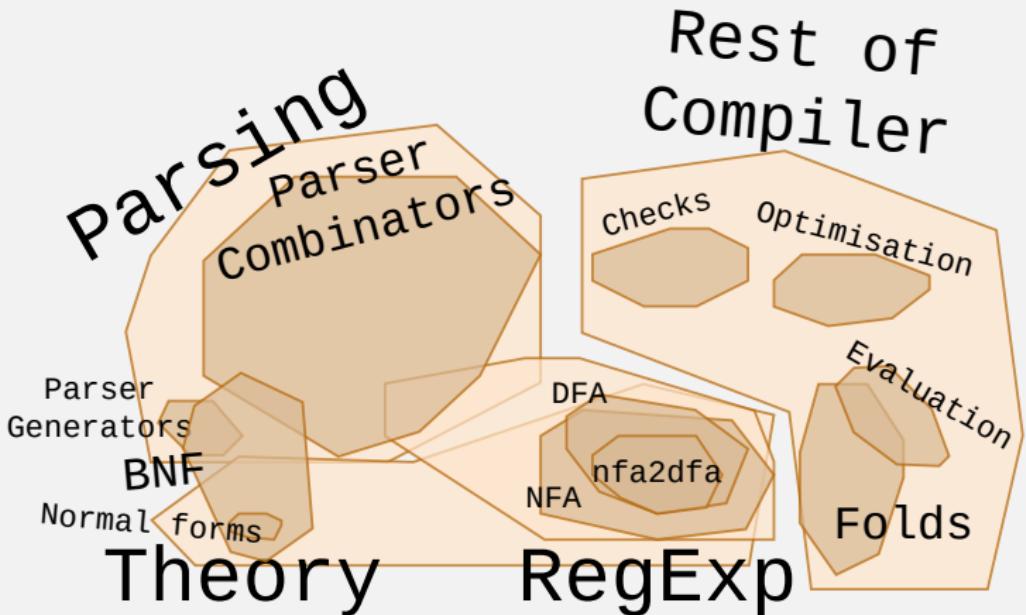
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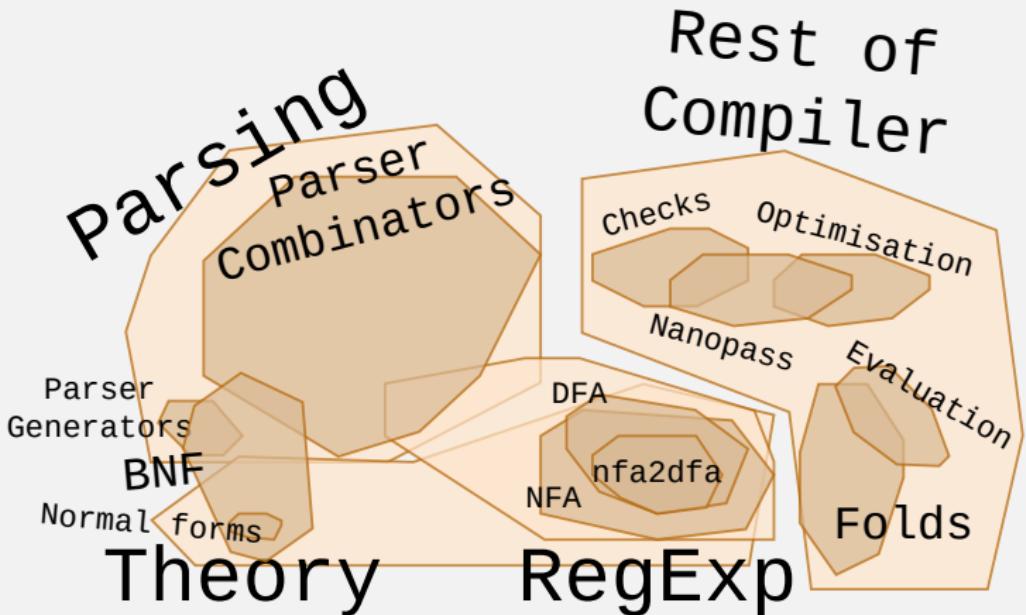
Revision Guide



Revision Guide



Revision Guide





Requests, Q&A



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😔 The End?



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Not the end!

- ▶ mcpd Concepts of programming language design
 - + more on checking (semantics, meta-theory, rule notation)
 - + more on evaluation (interpreter design)
 - + more on nanopass (more lowering)
 - + language design
- ▶ dsl Domain Specific Languages
 - + more about parsing (how to avoid it)
 - + language design
- ▶ afp Advanced Functional Programming
 - + more about haskell programming
- ▶ b3stv Software Testing & Verification
 - + more about checking

All of the above: UU Software Technology MSc track



<https://ics.utwente.nl/docs/vakken/mcpd/etc>



Now the end.

► Exam

Next Thursday

13.30 - 16.30

OLYMPOS - HAL3

► Feedback wanted

You review your Airbnb,
why not your course?

Go to Caracal and
complete the
course evaluation
caracal.uu.nl



only 5 questions



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